

**IN THE SPECIFICATION:****Please insert the following paragraph on Page 8, line 28, as follows:**

IDC-A1,AMD

--From a mathematical standpoint, there are infinite numbers of functions  $f(x,y)$  that can approximately map the two spaces 12 and 14, as shown in the literature. This invention proposes a simple function that follows the predictions, as set forth herein.--

**Please insert the following paragraph on Page 9, line 1 (below the graph), as follows:**

IDC-A2,AMD

--Graphically presented is as follows consider two points in the panel before pressing  $M(x_1,y_1)$  and  $N(x_2,y_2)$ , after pressing the two points move to new locations  $M'(x'_1,y'_1)$  and  $N'(x'_2,y'_2)$ . Note that after pressing, the angle  $(MOH) = \arctan(y_1/x_1)$  changes to new value  $\arctan(y'_1/x'_1)$ . The line MN translates, scales (stretches or compresses), and rotates an angle  $\alpha$  to a new location  $M'N'$ . Note that in this example, the line MN is stretched due to the increasing in length.--

**Please revise the following paragraph beginning on Page <sup>9</sup>10, line <sup>8</sup>6, to read as follows:**5/31/06  
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--It is possible then to easily determine the coefficients  $A_x, A_y, B_x, B_y, C_x, C_y, D_x$  and  $D_y$  as follows. Using the same origin, for  $i=1, 2, 3$  and  $4$ , let  $(x_i, y_i)$  and  $(x'_i, y'_i)$  be the coordinates of four known points before pressing and after pressing, respectively. Writing equations (3) and (4) for x- and y- directions, wherein:--

IDC-A3,AMD

Please insert the following paragraph on Page 10, line 20, as follows:

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--Solve the above eight independent equations for eight unknowns  $A_x, A_y, B_x, B_y, C_x, C_y, D_x$  and  $D_y$ .

Then substitute them to equations (3) and (4).--

Please revise the following paragraph beginning on Page 10, line 6, to read as follows:

5/31/06  
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--Computing the angle between the line  $P'Q'$  and  $R'S'$ . Equation of the line passing  $P'Q'$  is  $y = -2.2702(10)^{-7}x + 9.9955$ , and equation of the line passing  $R'S'$  is  $y = 1.2432(10)^{-3}x + 322.78$ . Take two vectors:  $\{1, -2.2702(10)^{-7}\}^T$  points along  $P'Q'$  and  $\{1, -1.2432(10)^{-3}\}^T$  points along  $R'S'$ . Then the angle between these two vectors is 0.001243 radians.--

IDC-A5,AMD